

Flavour anti-kT

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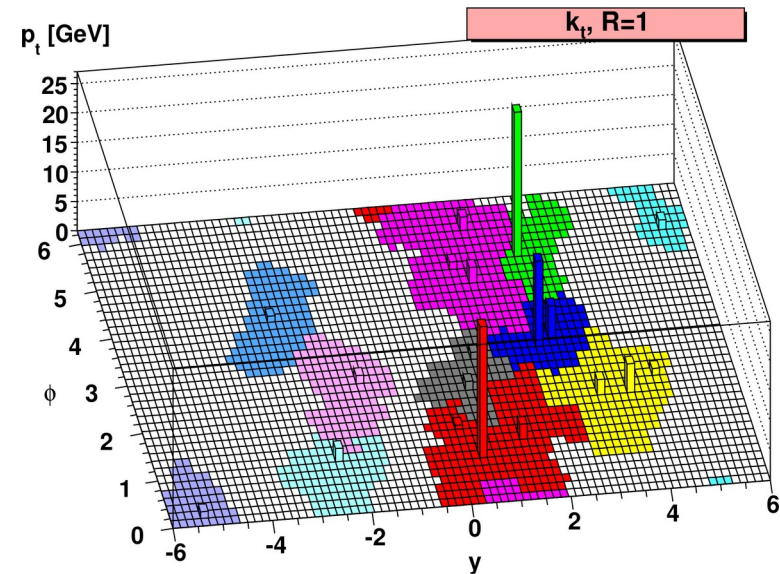
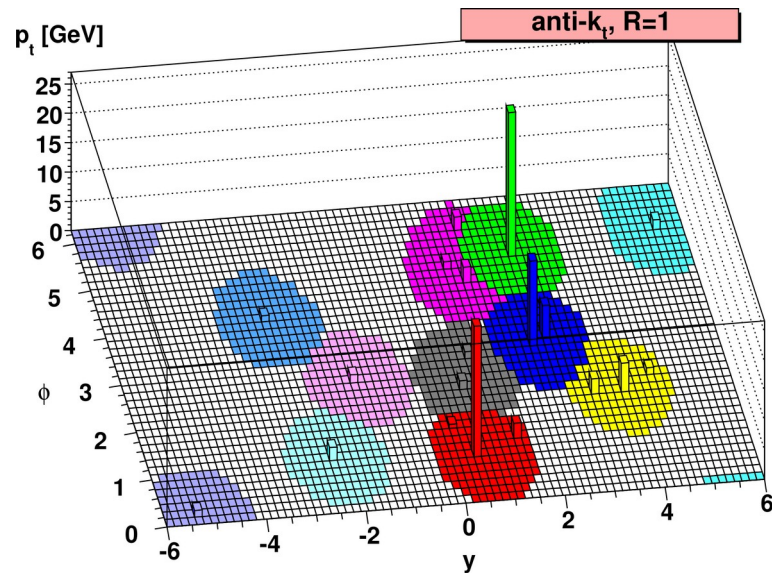
Problem solved, isn't it?

The standard algorithm for the LHC is the anti-kT:

→ nice geometric properties

→ less sensitive to soft physics

Towards Jetography
Salam 0906.1833



Flavour anti-kT

$$\text{Anti-kT: } d_{ij} = \min(k_{T,i}^{-2}, k_{T,j}^{-2}) R_{ij}^2 \quad d_i = k_{T,i}^{-2}$$

Idea:
Modification to ensure the correct recombination of flavoured pairs in the **double soft limit**.

Proposed modification:

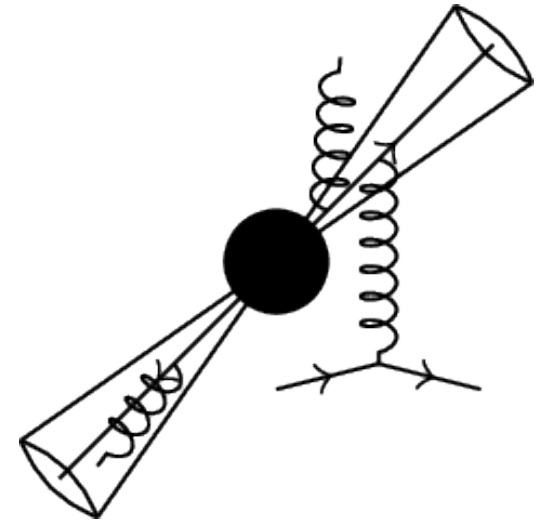
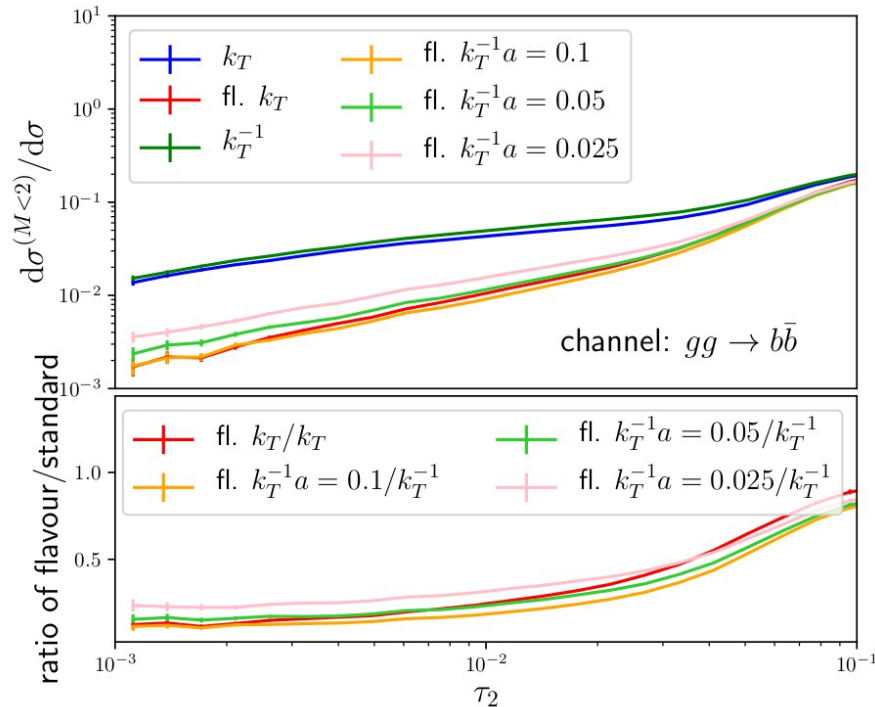
A soft term designed to modify the distance of flavoured pairs.

$$d_{ij}^{(F)} = d_{ij} \begin{cases} \mathcal{S}_{ij} & \text{i,j is flavoured pair} \\ 1 & \text{else} \end{cases}$$

$$\mathcal{S}_{ij} \equiv 1 - \theta (1 - \kappa_{ij}) \cos\left(\frac{\pi}{2} \kappa_{ij}\right) \quad \text{with} \quad \kappa_{ij} \equiv \frac{1}{a} \frac{k_{T,i}^2 + k_{T,j}^2}{2k_{T,\max}^2}.$$

Tests of IR safety with parton showers

- In the di-jet limit the flavour needs to correspond to tree level flavours
- misidentification rate needs to vanish in di-jet back-to-back limit
- IR sensitive observable 2-jettiness



Tests of IR safety with NNLO FO computations

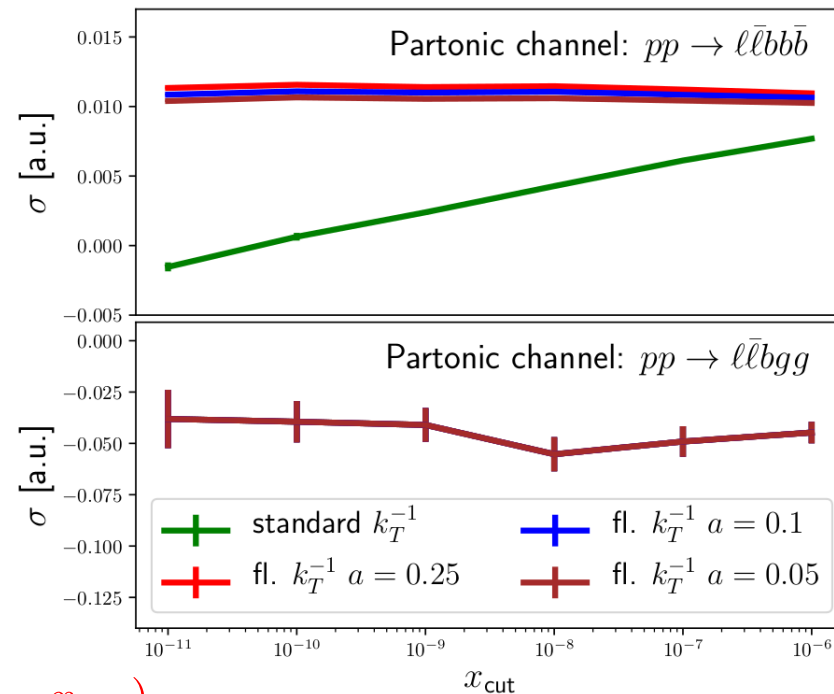
IR sensitivity of jet cross sections on (technical)
IR regulating parameter x

In the limit $x_{\text{cut}} \rightarrow 0$:

IR safe jet flavour \rightarrow no dependence on x_{cut}

IR non-safe jet flavour \rightarrow logarithmic divergent

$$d\sigma \ni d\Phi_{n+2} \left(\text{Diagram 1} \right) F_{n+2} + \dots + d\tilde{\Phi}_{n+2} \mathcal{S}_2 \left(\text{Diagram 2} \right) F_n \theta(x - x_{\text{cut}})$$



Remarks to the flavour anti-kT

$$d_{ij}^{(F)} = d_{ij} \begin{cases} \mathcal{S}_{ij} & i,j \text{ is flavoured pair} \\ 1 & \text{else} \end{cases}$$

$$\mathcal{S}_{ij} \equiv 1 - \theta (1 - \kappa_{ij}) \cos \left(\frac{\pi}{2} \kappa_{ij} \right) \quad \text{with} \quad \kappa_{ij} \equiv \frac{1}{a} \frac{k_{T,i}^2 + k_{T,j}^2}{2k_{T,\max}^2}.$$

- What is that kT_max parameter?

Some scale to define what **soft** means. Examples:

1. pT of hardest pseudo jet or lepton at a clustering step
2. Some fixed dynamical scale, e.g. pT(Z), pT(lep), ...
3. Some fixed hard scale: m_top, m_Z etc.

→ The choice impacts the clustering.

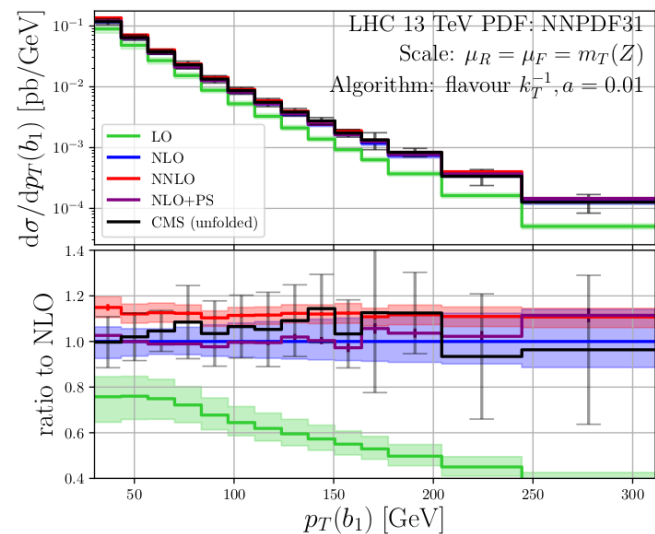
Z+b-jet Phenomenology: Tunable parameter

Benchmark process: $pp \rightarrow Z(\ell\ell) + b\text{-jet}$

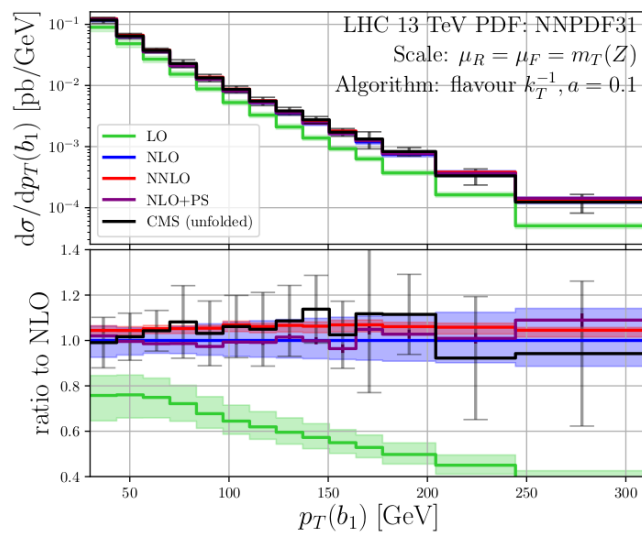
Tunable parameter a :

- Limit $a \rightarrow 0 \Leftrightarrow$ original anti-kT (IR unsafe)
- Large $a \Leftrightarrow$ large modification of cluster sequence

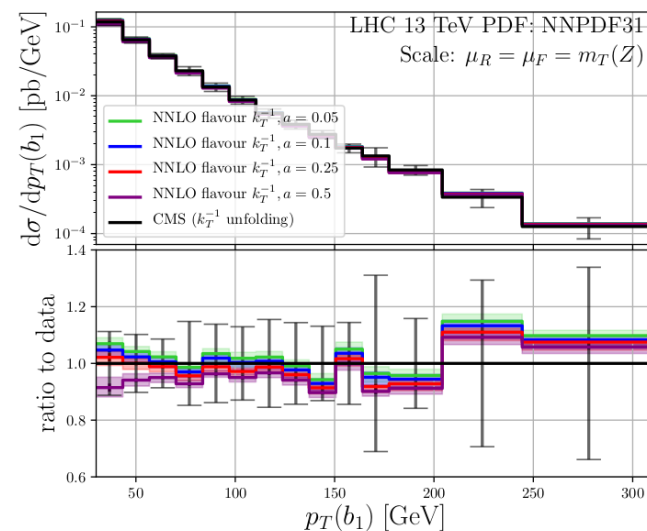
Flavour anti-kT ($a=0.01$):



Flavour anti-kT ($a=0.1$):

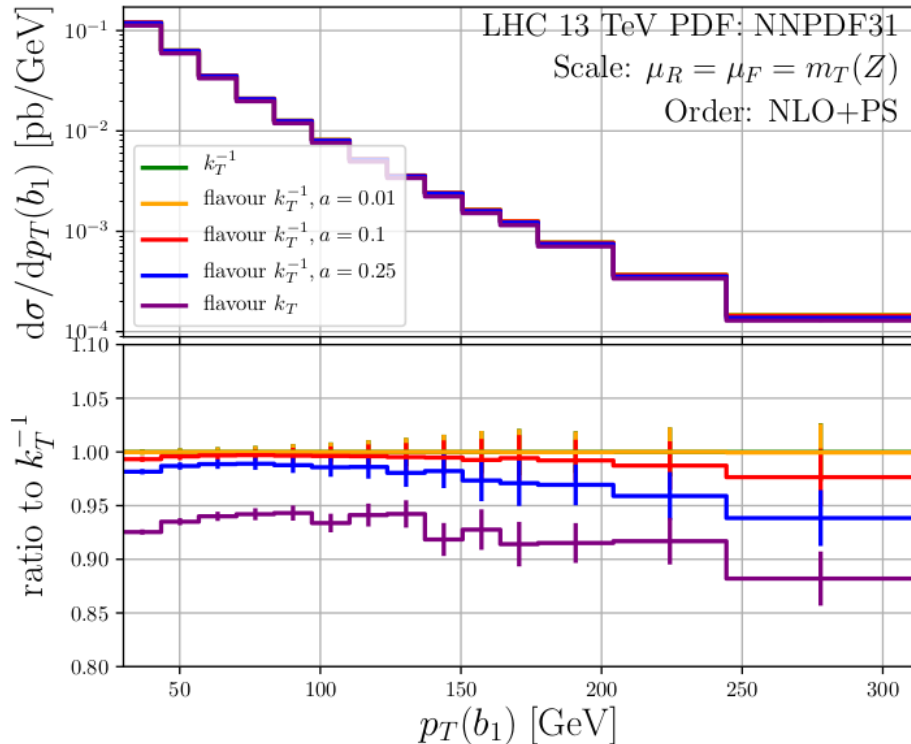


Comparison of different parameter a to data:



Z+b-jet Phenomenology: Tunable parameter II

What happens in the presence of many flavoured partons? → NLO PS



Tunable parameter a:

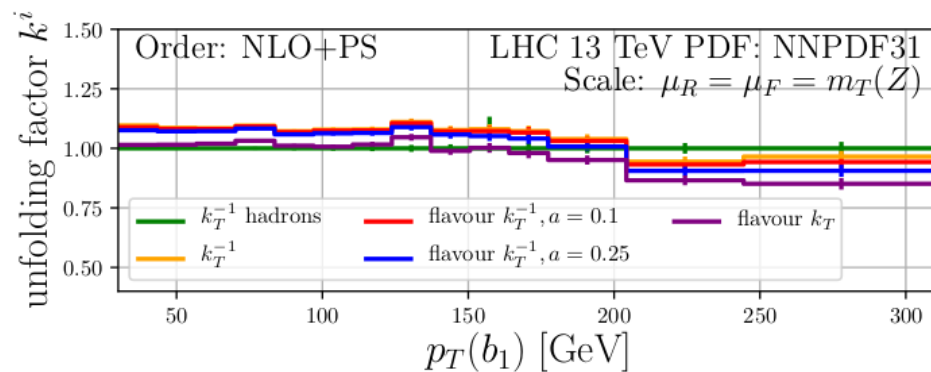
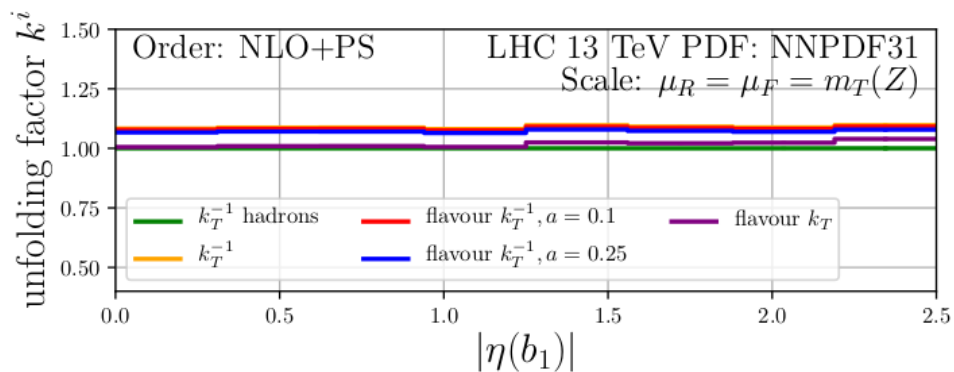
- Small a: Flavour anti-kT results are more similar to standard anti-kT
- Larger a: Larger modification of clustering

Good FO perturbative convergence +
Small difference to standard anti-kT
→ $a \sim 0.1$ is a good candidate

Bin-by-bin unfolding

Estimation of hadronisation and experimental tagging corrections
→ NLO + PS (Madraph+Pythia8)

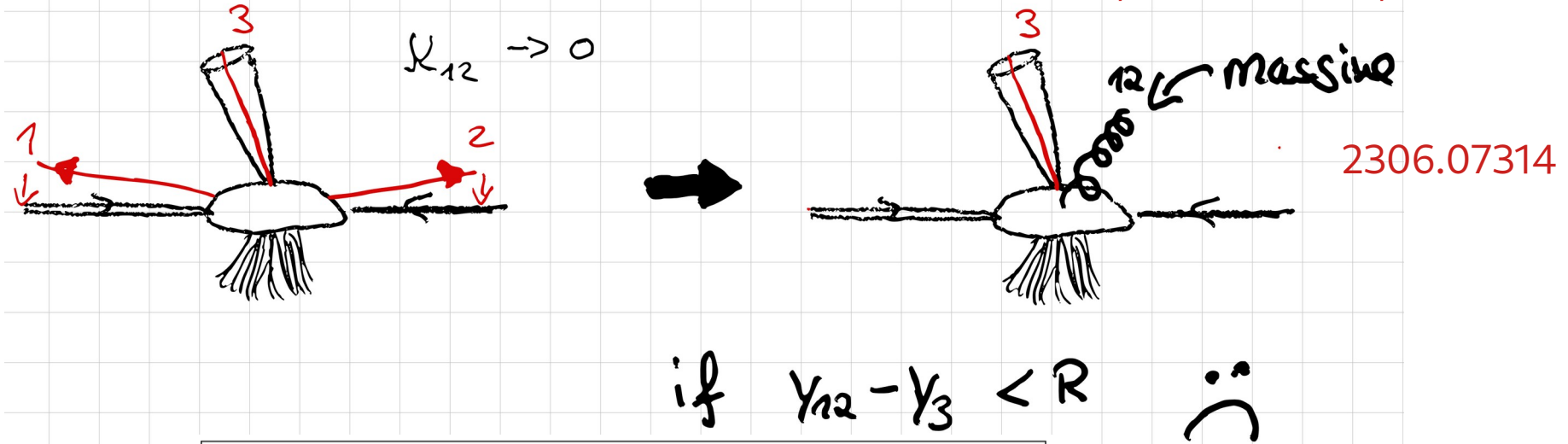
Unfolding factor = NLO+PS (had = Off) / NLO+PS (had = On)



New developments...

Issue for double collinear limits wrt. to initial states

Many thanks to
Caola, Grabarczyk, Hutt, Salam, Scyboz, Thaler



if $y_{12} - y_3 < R$ ☹️

$$\mathcal{S}_{ij} \equiv 1 - \theta(1 - \kappa_{ij}) \cos\left(\frac{\pi}{2}\kappa_{ij}\right) \quad \text{with} \quad \kappa_{ij} \equiv \frac{1}{a} \frac{k_{T,i}^2 + k_{T,j}^2}{2k_{T,\text{max}}^2}$$

Their proposal:

$$\mathcal{S}_{ij} \rightarrow \bar{\mathcal{S}}_{ij} = \mathcal{S}_{ij} \frac{\Omega_{ij}^2}{\Delta R_{ij}^2} \quad \Omega_{ik}^2 \equiv 2 \left[\frac{1}{\omega^2} (\cosh(\omega \Delta y_{ik}) - 1) - (\cos \Delta \phi_{ik} - 1) \right]$$

Solves also an issue at α_s^3

Plans/Suggestions for this week

- Comparison of the different algorithms in a benchmark process @ NNLO QCD
 $pp \rightarrow Zb/Wc$, $pp \rightarrow W H (\rightarrow bb\sim)$, $pp \rightarrow tt\sim + \text{decays}$
- (More for me) See what the impact of that flavour anti-kT fix is on the already computed processes
It appears to be small at PS level
- FastJet implementations \rightarrow Tests & validations